

## ConcepTest 3.1

You drive at $30 \mathrm{mi} / \mathrm{hr}$ for one hour and then at $50 \mathrm{mi} / \mathrm{hr}$ for another hour. What is your average speed for the whole 2 hour trip?

Cruising along

1) more than $40 \mathrm{mi} / \mathrm{hr}$
2) equal to $\mathbf{4 0} \mathbf{~ m i} / \mathrm{hr}$
3) less than $40 \mathrm{mi} / \mathrm{hr}$

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Remember that the average speed is distance/time. You travel 30 + 50 miles $=80$ miles in two hours. Therefore, your average speed is $40 \mathrm{mi} / \mathrm{hr}$.


To determine your position, you need a coordinate system


Distance $=$ total length of travel


Displacement $=$ change in position
$=$ final position - initial position

## Speed and Velocity

speed and velocity measure how position changes with time

average velocity $=\frac{\text { displacement }}{\text { total time }}=\frac{x_{2}-x_{1}}{t_{2}-t_{1}}=\frac{\Delta x}{\Delta t}$
 formula for a slope!
$\Delta x$
$\mathrm{v}_{\mathrm{av}}=$ slope connecting line from $\mathrm{t}_{1}$ to $\mathrm{t}_{2}$

Question: Does the speedometer in a car measure speed or velocity?

## ConcepTest 3.2

## Cruising along

You drive 4 miles at $30 \mathrm{mi} / \mathrm{hr}$ and then another 4 miles at $50 \mathrm{mi} / \mathrm{hr}$. What is your average speed for

1) more than $40 \mathrm{mi} / \mathrm{hr}$
2) equal to $40 \mathrm{mi} / \mathrm{hr}$
the whole 8 mile trip?
3) less than $40 \mathrm{mi} / \mathrm{hr}$

## ConcepTest 3.2

You drive 4 miles at $\mathbf{3 0} \mathrm{mi} / \mathrm{hr}$ and then another 4 miles at $50 \mathrm{mi} / \mathrm{hr}$. What is your average speed for the whole 8 mile trip?

Cruising along

1) more than $40 \mathrm{mi} / \mathrm{hr}$
2) equal to $40 \mathrm{mi} / \mathrm{hr}$
3) less than $40 \mathrm{mi} / \mathrm{hr}$

It is not $40 \mathrm{mi} / \mathrm{hr}$ ! Remember that the average speed is distance/time. Since it takes longer to cover 4 miles at the slower speed, you are actually moving at $30 \mathrm{mi} / \mathrm{hr}$ for a longer period of time! Therefore, your average speed is closer to $\mathbf{3 0} \mathbf{~ m i} / \mathrm{hr}$ than it is to $\mathbf{5 0} \mathbf{~ m i} / \mathrm{hr}$.

## Instantaneous Velocity

The velocity at a specific instant of time
Review:


Average velocity between $\mathrm{x}_{1}$ and $\mathrm{x}_{2}$

$$
v_{\mathrm{av}}=\frac{\Delta x}{\Delta t}
$$



What is the velocity right at point $\mathrm{x}_{2}$ at the instant the time is $\mathrm{t}_{\mathbf{2}}$




## Acceleration measures change in velocity!



Note that acceleration a does not have to be in the same direction as velocity v !

| $\begin{aligned} \text { at } t_{1} & =0 \\ v_{1} & =15.0 \mathrm{~m} / \mathrm{s} \end{aligned}$ | $\stackrel{\text { Acceleration }}{=-2.0 \mathrm{~m} / \mathrm{s}^{2}}$ |
| :---: | :---: |
|  | $\begin{aligned} & =5.0 \mathrm{~s} \\ & =5.0 \mathrm{~m} / \mathrm{s} \end{aligned}$ |
|  | x-axis |
| moving along +x but slowing down |  |

## Acceleration

acceleration measures how the velocity changes with time
average acceleration $=\frac{\text { change in velocity }}{\text { total time }}=\frac{v_{2}-v_{1}}{t_{2}-t_{1}}=\frac{\Delta v}{\Delta t}$
formula for

a slope!
For instantaneous acceleration, the acceleration at a specific instant of time again let $\Delta \mathrm{t} \rightarrow 0$

$$
a=\operatorname{limit}_{\Delta t \rightarrow 0} \frac{\Delta v}{\Delta t}=\frac{d v}{d t}
$$

\section*{| 0 |
| :--- |
| 0 |
| 0 |
| $\frac{0}{6}$ |}




Phys 11: chap 2, Pg 12


You drop a rubber ball. Right after it leaves your hand and before it hits the floor, which of the above plots represents the $v$ vs. $\boldsymbol{t}$ graph for this motion? (Assume your yaxis is pointing up).

The ball is dropped from rest, so its initial velocity is zero. Since the $y$ axis is pointing upwards and the ball is falling downwards, its velocity is negative and becomes more and more negative as it accelerates downward.



